



INTERNATIONAL STANDARD ISO/IEC 23003-2:2010
TECHNICAL CORRIGENDUM 1

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Information technology — MPEG audio technologies —

Part 2:

Spatial Audio Object Coding (SAOC)

TECHNICAL CORRIGENDUM 1

Technologies de l'information — Technologies audio MPEG —
Partie 2: Codage d'objet audio spatial (SAOC)

RECTIFICATIF TECHNIQUE 1

Technical Corrigendum 1 to ISO/IEC 23003-2:2010 was prepared by *Joint Technical Committee ISO/IEC JTC 1, Information technology, Subcommittee SC 29, Coding of audio, picture, multimedia and hypermedia information.*

In Clause 2 "Normative references", add:

ISO/IEC 23000-12, Information technology – Multimedia application format (MPEG-A) – Part 12: Interactive music application format

In all tables, replace:

"reserved"

with:

"N/A"

ICS 35.040

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with:

The number of objects that can be handled is in principle not limited.

In 5.5.2 Baseline Profile, replace:

Note that ISO/IEC 23000-12 (Information technology — Multimedia application format (MPEG-A) — Part 12: Interactive music application format) defines several brands that refer to the SAOC Baseline Profile.

with:

Note that ISO/IEC 23000-12 defines several brands that refer to the SAOC Baseline Profile.

In 6.1 Payloads for SAOC, replace:

Table 8 – Syntax of ResidualConfig()

Syntax	No. of bits	Mnemonic
ResidualConfig() { bsResidualSamplingFrequencyIndex ; bsResidualFramesPerSAOCFrame ; bsNumGroupsFGO ; for (i=0; i<bsNumGroupsFGO + 1; i++) { bsResidualPresent[i] ; if (bsResidualPresent[i]) {	 4 2 2 1	 uimbsbf uimbsbf uimbsbf uimbsbf

with:

Table 8 – Syntax of ResidualConfig()

Syntax	No. of bits	Mnemonic
ResidualConfig() { bsResidualSamplingFrequencyIndex; bsResidualFramesPerSAOCFrame; bsNumEAO; for (i=0; i<bsNumEAO + 1; i++) { bsResidualPresent[i]; if (bsResidualPresent[i]) {	 	

In 6.1 Payloads for SAOC, replace:

Table 15 – Syntax of PresetConfig()

Syntax	No. of bits	Mnemonic
PresetConfig() { bsNumPresets ; for (i=0; i<bsNumPresets+1; i++) { bsNumBytePresetLabel [i]; for (j=0; j<bsNumBytePresetLabel[i]; j++) { bsPresetLabel [i][j]; } bsPresetMatrix ; if (bsPresetMatrix) { PresetMatrixData(); } else {	4 8 8 1	uimsbf uimsbf bslbf uimsbf

with:

Table 15 – Syntax of PresetConfig()

Syntax	No. of bits	Mnemonic
PresetConfig() { bsNumPresets ; for (i=0; i<bsNumPresets+1; i++) { bsNumBytePresetLabel [i]; for (j=0; j<bsNumBytePresetLabel[i]; j++) { bsPresetLabel [i][j]; } bsPresetMatrix [i]; if (bsPresetMatrix[i]) { PresetMatrixData(); } else {	4 8 8 1	uimsbf uimsbf bslbf uimsbf

In 6.1 Payloads for SAOC, replace:

Table 21 – Syntax of SAOCFramingInfo()

Syntax	No. of bits	Mnemonic
SAOCFramingInfo() { bsFramingType ; If (bsLowDelayMode == 0) { bsNumParamSets ; } else { bsNumParamSets ; } if (bsFramingType) { for (ps=0; ps<numParamSets; ps++) { bsParamSlot [ps]; } } }	1 3 1 nBitsParamSlot	uimsbf uimsbf uimsbf Note 1 uimsbf Note 2
Note 1: numParamSets is defined by numParamSets = bsNumParamSets + 1. Note 2: nBitsParamSlot is defined according to nBitsParamSlot = ceil(log2(numSlots)).		

Syntax	No. of bits	Mnemonic
SAOCFramingInfo()		
{		
bsFramingType;	1	uimsbf
If (bsLowDelayMode == 0) {		
bsNumParamSets;	3	uimsbf
} else {		
bsNumParamSets;	1	uimsbf
}		
for (ps=0; ps<numParamSets; ps++) {		
if (bsFramingType) {		Note 1
bsParamSlot[ps];	nBitsParamSlot	uimsbf
		Note 2
} else {		
bsParamSlot[ps] = ceil(numSlots*(ps+1)/numParamSets)-1;		Note 1, 3
}		
}		
}		

Note 1: numParamSets is defined by numParamSets = bsNumParamSets + 1.

Note 2: nBitsParamSlot is defined according to nBitsParamSlot = ceil(log2(numSlots)).

Note 3: numSlots is defined by numSlots = bsFrameLength + 1.

In 6.1 Payloads for SAOC, replace:

bsDcuParam	Defines the parameter value for the DCU algorithm according to Table 41.
-------------------	--

with:

bsDcuParam	Defines the parameter value for the DCU algorithm according to Table 39.
-------------------	--

In 6.1 Payloads for SAOC; replace:

XXX (dataType)	numQuantStepsXXXCoarse	numQuantStepsXXXFine
DCLD, DMG, PDG	15	31
IOC	4	8
OLD	8	16
NRG	32	64

with:

XXX (dataType)	numQuantStepsXXXCoarse	numQuantStepsXXXFine
DCLD, DMG, PDG	15	31
IOC	4	8
OLD	8	16
NRG	32	64

In 6.1 Payloads for SAOC, replace:

PresetUserDataContainer()

Syntactic element that contains preset rendering data in the user-defined preset representation format and has a length of exactly **bsPresetUserDataLen** bytes.

with:

PresetUserDataContainer()

Syntactic element that contains preset rendering data in the user-defined preset representation format and has a length of exactly **bsPresetUserDataLen** bytes.

All bitstream variables which are not explicitly described here are defined in ISO/IEC 23003-1:2007.

In 6.1 Payloads for SAOC, add:

bsResidualFramesPerSAOCFrame

Indicates the number of residual frames per SAOC frame, ranging from one to four according to Table 56 defined in ISO/IEC 23003-1:2007.

In 6.1 Payloads for SAOC, add:

SAOCDiffHuffData()

Syntactic element that contains one or two temporally subsequent parameter subsets of a given parameter in the SAOC frame, where the quantized values are coded using a combination of differential coding and Huffman coding.

In Clause 7 SAOC processing, omit the time/band indices for all signals and parameters.

In 7.1.2 Dequantization of the SAOC parameters, replace:

Table 47 – OLD parameter quantization table

idx	0	1	2	3	4	5	6	7
OLD[idx]	$10^{-15.00}$	$10^{-4.50}$	$10^{-4.00}$	$10^{-3.50}$	$10^{-3.00}$	$10^{-2.50}$	$10^{-2.20}$	$10^{-1.90}$
idx	8	9	10	11	12	13	14	15
OLD[idx]	$10^{-1.60}$	$10^{-1.30}$	$10^{-1.00}$	$10^{-0.80}$	$10^{-0.60}$	$10^{-0.40}$	$10^{-0.20}$	1

with:

Table 47 – OLD parameter quantization table

idx	0	1	2	3	4	5	6	7
OLD[idx]	$10^{-15.0}$	$10^{-4.5}$	$10^{-4.0}$	$10^{-3.5}$	$10^{-3.0}$	$10^{-2.5}$	$10^{-2.2}$	$10^{-1.9}$
idx	8	9	10	11	12	13	14	15
OLD[idx]	$10^{-1.6}$	$10^{-1.3}$	$10^{-1.0}$	$10^{-0.8}$	$10^{-0.6}$	$10^{-0.4}$	$10^{-0.2}$	1

In 7.1.2 Dequantization of the SAOC parameters, replace:

```
while (ps=0; ps<numParamSet; ps++) {
    switch (bsXXXdataMode[pi][ps]) {
        case 0: /* default */
            for (pb=0; pb<numBands, pb++) {
                switch (XXX) {
                    case OLD, NRG, IOC, DCLD, DMG, PDG:
                        idxXXX[pi][ps][pb] = 0;
                        break;
                }
            }
            break;
    }
}
```

with:

```
while (ps=0; ps<numParamSet; ps++) {
    switch (bsXXXdataMode[pi][ps]) {
        case 0: /* default */
            for (pb=0; pb<numBands, pb++) {
                switch (XXX) {
                    case NRG, DCLD, DMG, PDG:
                        idxXXX[pi][ps][pb] = 0;
                        break;
                }
                case OLD:
                    idxXXX[pi][ps][pb] = 15;
                    break;
                case IOC:
                    idxXXX[pi][ps][pb] = 5;
                    break;
            }
        }
    }
    break;
}
```

In 7.2.3 Unquantized interface for the MPS parameters, replace:

For an efficient practical implementation and to prevent a loss in precision, the parameter interface to the MPS decoder may alternatively be established in a direct, unquantized way. Rather than writing an actual MPS bitstream, the relevant parameters may be passed directly to the MPS decoder.

with:

For an efficient practical implementation and to prevent a loss in precision, the parameter interface to the MPS decoder may alternatively be established in a direct, unquantized way. The required range of all relevant parameters is determined by the minimal and maximal values of the corresponding dequantization scheme. Rather than writing an actual MPS bitstream, the relevant parameters may be passed directly using binary32 (single) floating point format (IEEE 754-2008) to the MPS decoder.

In 7.4 Post(processed) downmix compensation, replace and move the corresponding text to “7.5 Signals and parameters”:

If the post(processed) downmix $\mathbf{X}_{\text{post(processed)}}^{n,k}$ is used, the following modification should be taken prior to SAOC decoding/transcoding:

$$\mathbf{X}^{n,k} = \mathbf{W}_{\text{PDG}}^{n,k} \mathbf{X}_{\text{post(processed)}}^{n,k},$$

where $\mathbf{X}^{n,k}$ represents the input signal to the SAOC decoder/transcoder.

The matrix $\mathbf{W}_{\text{PDG}}^{n,k}$ is defined for every time-slot n and every hybrid subband k . Its elements are obtained from the transmitted PDG parameters which are defined for a given parameter time-slot l and a given processing band m . The mapping to the hybrid domain is done according to Table A.31, ISO/IEC 23003-1:2007. If post(processed) downmix compensation is applied (bsPdgFlag = 1), the matrix $\mathbf{W}_{\text{PDG}}^{l,m}$ is defined as:

$$\begin{aligned}\mathbf{W}_{\text{PDG}}^{l,m} &= \begin{pmatrix} PDG_0^{l,m} \end{pmatrix}, & \text{for mono downmix,} \\ \mathbf{W}_{\text{PDG}}^{l,m} &= \begin{pmatrix} PDG_0^{l,m} & 0 \\ 0 & PDG_1^{l,m} \end{pmatrix}, & \text{for stereo downmix,}\end{aligned}$$

where $PDG_j^{l,m} = \mathbf{D}_{\text{PDG}}(j, l, m)$.

with:

If the post(processed) downmix $\mathbf{X}_{\text{post(processed)}}$ compensation is applied (bsPdgFlag = 1), the following modification should be taken prior to the SAOC decoding/transcoding

$$\mathbf{X} = \mathbf{W}_{\text{PDG}} \mathbf{X}_{\text{post(processed)}}.$$

The matrix $\mathbf{W}_{\text{PDG}}$ is obtained from the transmitted PDG parameters as

$$\begin{aligned}\mathbf{W}_{\text{PDG}} &= \begin{pmatrix} PDG_0 & 0 \\ 0 & PDG_1 \end{pmatrix}, & \text{for stereo downmix,} \\ \mathbf{W}_{\text{PDG}} &= \begin{pmatrix} PDG_0 & 0 \\ 0 & 0 \end{pmatrix}, & \text{for mono downmix.}\end{aligned}$$

Here, the dequantized post(processed) downmix gains are obtained according to 7.1.2 as

$$PDG_j = \mathbf{D}_{\text{PDG}}(j, l, m).$$

In 7.5.2 Signals and parameters, replace:

$$\begin{aligned}\mathbf{X} = \mathbf{x}^{n,k} &= \begin{pmatrix} l_0 \\ r_0 \end{pmatrix}, & \text{for stereo downmix,} \\ \mathbf{X} = \mathbf{x}^{n,k} &= \begin{pmatrix} d_0 \\ 0 \end{pmatrix}, & \text{for monoo downmix.}\end{aligned}$$

with:

$$\begin{aligned}\mathbf{X} &= \begin{pmatrix} l_0 \\ r_0 \end{pmatrix}, & \text{for stereo downmix,} \\ \mathbf{X} &= \begin{pmatrix} d_0 \\ 0 \end{pmatrix}, & \text{for mono downmix.}\end{aligned}$$

In 7.5 Signals and parameters, add:

Output covariance

The output covariance matrix $\mathbf{F}$ with elements $f_{i,j}$ is given as

$$\begin{aligned} \mathbf{F} &= \mathbf{A}\mathbf{E}\mathbf{A}^*, & \text{for binaural rendering,} \\ \mathbf{F} &= \mathbf{M}_{\text{ren}}\mathbf{E}\mathbf{M}_{\text{ren}}^*, & \text{otherwise.} \end{aligned}$$

In 7.5 Signals and parameters, add:

Input covariance

The input covariance ν is given as

$$\nu = \mathbf{D}\mathbf{E}\mathbf{D}^* + \varepsilon^2.$$

In 7.6 SAOC transcoding/decoding modes, use the following structure:

7.6 SAOC transcoding/decoding modes

7.6.1 Overview

7.6.2 Decorrelated signal

7.6.3 Transcoding modes

7.6.3.1 Introduction

7.6.3.2 Mono downmix ("x-1-5") processing mode

7.6.3.2.1 Introduction

7.6.3.2.2 SAOC downmix preprocessor unit

7.6.3.2.3 SAOC parameter processing unit

7.6.3.3 Stereo downmix ("x-2-5") processing mode

7.6.3.3.1 Introduction

7.6.3.3.2 SAOC downmix preprocessor unit

7.6.3.3.3 SAOC parameter processing unit

7.6.4 Decoding modes

7.6.4.1 Introduction

7.6.4.2 Mono to binaural "x-1-b" processing mode

7.6.4.3 Mono to stereo "x-1-2" processing mode

7.6.4.4 Mono to mono "x-1-1" processing mode

7.6.4.5 Stereo to binaural "x-2-b" processing mode

7.6.4.6 Stereo to stereo "x-2-2" processing mode

7.6.4.7 Stereo to mono "x-2-1" processing mode

In 7.6.2 Mono downmix ("x-1-5") processing mode, replace:

Estimation of power and cross power terms

Incorporating index h denoting the OTT element, the power and cross power terms can be estimated by:

$$p_{h,0}^2 = \sum_{i=0}^{N-1} \left(\sum_{j=0}^{N-1} w_{0,i}^h w_{0,j}^h e_{i,j} \right), \quad p_{h,1}^2 = \sum_{i=0}^{N-1} \left(\sum_{j=0}^{N-1} w_{1,i}^h w_{1,j}^h e_{i,j} \right), \quad R_h = \sum_{i=0}^{N-1} \left(\sum_{j=0}^{N-1} w_{0,i}^h w_{1,j}^h e_{i,j} \right).$$

Derivation of the MPS parameters

Finally, the corresponding CLD and ICC parameters are derived as:

$$CLD_h^{l,m} = 10 \log_{10} \left(\max \left(\frac{p_{h,0}^2}{p_{h,1}^2}, \varepsilon^2 \right) \right),$$

$$ICC_h^{l,m} = \frac{\max(R_h, \varepsilon^2)}{\sqrt{\max(p_{h,0}, \varepsilon^2) \max(p_{h,1}, \varepsilon^2)}},$$

with:

The index h refers to the OTT_n element

$$CLD_h = 10 \log_{10} \left(\frac{r_{0,0}^h}{r_{1,1}^h} \right), \quad ICC_h = \frac{r_{0,1}^h}{\sqrt{r_{0,0}^h r_{1,1}^h}}.$$

The terms $r_{i,j}^h$ can be estimated as

$$r_{i,j}^h = \max \left(\sum_{n=0}^{N-1} \sum_{m=0}^{N-1} w_{i,n}^h w_{j,m}^h e_{n,m}, \varepsilon^2 \right).$$

In 7.6.2 Mono downmix ("x-1-5") processing mode, replace:

$$ADG^{l,m} = 10 \log_{10} \left(\max \left(\frac{f^{l,m}}{v^{l,m}}, \varepsilon^2 \right) \right).$$

The scalar $f^{l,m}$ is computed as

$$f^{l,m} = \sum_{i=0}^{N-1} f_{i,i}^{l,m}.$$

with:

$$ADG = 10 \log_{10} \left(\max \left(\frac{\text{trace}(\mathbf{F})}{v}, \varepsilon^2 \right) \right).$$

In 7.6.2 Mono downmix ("x-1-5") processing mode, replace:

The following subclauses give a description of the SAOC transcoding mode for the mono downmix case. The object parameters (OLD, IOC, DMG, DCLD) from the SAOC bitstream are transcoded into spatial parameters (CLD, ICC, CPC, ADG) for the MPS bitstream according to the rendering information. The downmix is not modified.

with:

The following subclauses describe the processing steps dedicated to the transformation of SAOC parameters (OLD, IOC, DMG) into MPS data (CLD, ICC, ADG) according to the rendering information for the mono downmix case, see Figure 13 (left). The downmix signal is not modified.

In 7.6.2 Mono downmix ("x-1-5") processing mode, replace:

The respective contribution of each object to the two outputs of OTT element 0 is obtained by summation of the corresponding elements in $\mathbf{M}_{\text{ren}}^{l,m}$. This summation gives a sub-rendering matrix $\mathbf{W}_0^{l,m}$ of OTT element 0:

$$\mathbf{W}_0^{l,m} = \begin{pmatrix} w_{0,0}^0 & \cdots & w_{0,N-1}^0 \\ w_{1,0}^0 & \cdots & w_{1,N-1}^0 \end{pmatrix} = \begin{pmatrix} m_{0,Lf}^{l,m} + m_{0,Rf}^{l,m} + m_{0,C}^{l,m} + m_{0,Lfe}^{l,m} & \cdots & m_{N-1,Lf}^{l,m} + m_{N-1,Rf}^{l,m} + m_{N-1,C}^{l,m} + m_{N-1,Lfe}^{l,m} \\ m_{0,Ls}^{l,m} + m_{0,Rs}^{l,m} & \cdots & m_{N-1,Ls}^{l,m} + m_{N-1,Rs}^{l,m} \end{pmatrix}.$$

The CLDs and ICCs of the subsequent OTT boxes ($CLD_h^{l,m}, ICC_h^{l,m}$, $h = 0, \dots, 4$) are calculated using the sub-rendering matrices defined as:

$$\mathbf{W}_1^{l,m} = \begin{pmatrix} w_{0,0}^1 & \cdots & w_{0,N-1}^1 \\ w_{1,0}^1 & \cdots & w_{1,N-1}^1 \end{pmatrix} = \begin{pmatrix} m_{0,Lf}^{l,m} + m_{0,Rf}^{l,m} & \cdots & m_{N-1,Lf}^{l,m} + m_{N-1,Rf}^{l,m} \\ m_{0,C}^{l,m} + m_{0,Lfe}^{l,m} & \cdots & m_{N-1,C}^{l,m} + m_{N-1,Lfe}^{l,m} \end{pmatrix},$$

with:

The respective contribution of each object to the two outputs of OTT_n element is obtained by summation of the corresponding elements in the rendering matrix $\mathbf{M}_{ren}$. The subsequent sub-rendering matrices $\mathbf{W}_h$ with elements $w_{i,j}^h$ are defined as

$$\mathbf{W}_0^{l,m} = \begin{pmatrix} w_{0,0}^0 & \cdots & w_{0,N-1}^0 \\ w_{1,0}^0 & \cdots & w_{1,N-1}^0 \end{pmatrix} = \begin{pmatrix} \sqrt{m_{0,Lf}^{l,m^2} + m_{0,Rf}^{l,m^2} + m_{0,C}^{l,m^2} + m_{0,Lfe}^{l,m^2}} & \cdots & \sqrt{m_{N-1,Lf}^{l,m^2} + m_{N-1,Rf}^{l,m^2} + m_{N-1,C}^{l,m^2} + m_{N-1,Lfe}^{l,m^2}} \\ \sqrt{m_{0,Ls}^{l,m^2} + m_{0,Rs}^{l,m^2}} & \cdots & \sqrt{m_{N-1,Ls}^{l,m^2} + m_{N-1,Rs}^{l,m^2}} \end{pmatrix}.$$

$$\mathbf{W}_1^{l,m} = \begin{pmatrix} w_{0,0}^1 & \cdots & w_{0,N-1}^1 \\ w_{1,0}^1 & \cdots & w_{1,N-1}^1 \end{pmatrix} = \begin{pmatrix} \sqrt{m_{0,Lf}^{l,m^2} + m_{0,Rf}^{l,m^2}} & \cdots & \sqrt{m_{N-1,Lf}^{l,m^2} + m_{N-1,Rf}^{l,m^2}} \\ \sqrt{m_{0,C}^{l,m^2} + m_{0,Lfe}^{l,m^2}} & \cdots & \sqrt{m_{N-1,C}^{l,m^2} + m_{N-1,Lfe}^{l,m^2}} \end{pmatrix},$$

In 7.6.2.2 Sub-rendering matrices for each OTT element, remove:

Additional information is provided by the rendering matrix $\mathbf{M}_{ren}^{l,m}$ with elements $m_{i,j}^{l,m}$, yielding the mapping of all audio input channels i to the desired output channels j . The rendering matrix $\mathbf{M}_{ren}^{l,m}$ for the 5.1 output configuration is given by:

$$\mathbf{M}_{ren}^{l,m} = \begin{pmatrix} m_{0,Lf}^{l,m} & \cdots & m_{N-1,Lf}^{l,m} \\ m_{0,Rf}^{l,m} & \cdots & m_{N-1,Rf}^{l,m} \\ m_{0,C}^{l,m} & \cdots & m_{N-1,C}^{l,m} \\ m_{0,Lfe}^{l,m} & \cdots & m_{N-1,Lfe}^{l,m} \\ m_{0,Ls}^{l,m} & \cdots & m_{N-1,Ls}^{l,m} \\ m_{0,Rs}^{l,m} & \cdots & m_{N-1,Rs}^{l,m} \end{pmatrix}.$$

In 7.6.2.4 Derivation of the MPS parameters, remove:

Matrix $\mathbf{F}^{l,m}$ of size $N_{MPS} \times N_{MPS}$ with elements $f_{i,j}^{l,m}$ is given as

$$\mathbf{F}^{l,m} = \mathbf{A}^{l,m} \mathbf{E}^{l,m} (\mathbf{A}^{l,m})^*.$$

In 7.6.2.4 Derivation of the MPS parameters, remove:

The scalar $v^{l,m}$ is computed as

$$v^{l,m} = \mathbf{D}^l \mathbf{E}^{l,m} (\mathbf{D}^l)^* + \varepsilon^2.$$

In 7.6.3 Stereo downmix ("x-2-5") processing mode, replace:

$$\begin{pmatrix} \tilde{c}_1 \\ \tilde{c}_2 \end{pmatrix} = \begin{pmatrix} 1 \\ 1 \end{pmatrix} - 3\mathbf{y} \text{ with } \mathbf{y} = \frac{b_{i,3}}{\left(\sum_{j=1,2} (\gamma_{i,j})^2 \right) + \varepsilon} \boldsymbol{\gamma}^T.$$

with:

$$\begin{pmatrix} \tilde{c}_1 \\ \tilde{c}_2 \end{pmatrix} = \begin{pmatrix} 1 \\ 1 \end{pmatrix} - 3\mathbf{y} \text{ with } \mathbf{y} = \frac{b_{i,3}}{\max \left(\sum_{j=1,2} (\gamma_{i,j})^2, \varepsilon^2 \right)} \boldsymbol{\gamma}^T.$$

In 7.6.3 Stereo downmix ("x-2-5") processing mode, replace:

$$\mathbf{P}_2 = \begin{cases} \begin{pmatrix} 0 & 0 \\ 0 & 0 \end{pmatrix}, & r_{1,2} > 0, \\ \mathbf{v}_R \cdot \text{diag}(\mathbf{w}_d), & \text{otherwise.} \end{cases}$$

with:

$$\mathbf{P}_2 = \begin{cases} \begin{pmatrix} 0 & 0 \\ 0 & 0 \end{pmatrix}, & r_{1,2} > \varepsilon^2, \\ \mathbf{v}_R \cdot \text{diag}(\mathbf{w}_d), & \text{otherwise.} \end{cases}$$

In 7.6.3 Stereo downmix ("x-2-5") processing mode, replace:

$$\mathbf{P}_1 = \begin{pmatrix} 1 & 1 \end{pmatrix} \hat{\mathbf{G}}$$

with:

$$\mathbf{P}_1 = \begin{pmatrix} 1 & 1 \\ 0 & 0 \end{pmatrix} \hat{\mathbf{G}}.$$

In 7.6.3 Stereo downmix ("x-2-5") processing mode, replace:

$$\mathbf{G} = \begin{cases} \text{diag}(\mathbf{g}_{\text{vec}}) \cdot \hat{\mathbf{G}}, & r_{1,2} > 0, \\ \hat{\mathbf{G}}, & \text{otherwise.} \end{cases}$$

with:

$$\mathbf{G} = \begin{cases} \text{diag}(\mathbf{g}_{\text{vec}}) \cdot \hat{\mathbf{G}}, & r_{1,2} > \varepsilon^2, \\ \hat{\mathbf{G}}, & \text{otherwise.} \end{cases}$$

In 7.6.3 Stereo downmix ("x-2-5") processing mode, replace:

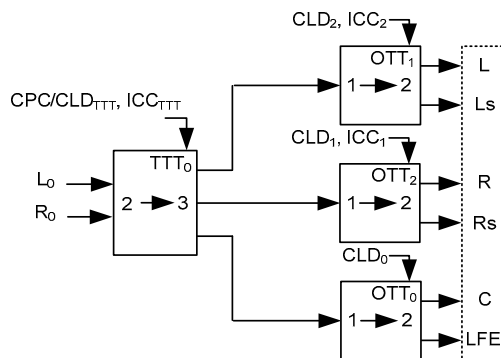


Figure 14 – "5-2-5" tree structure for the MPS decoder (stereo downmix)

with:

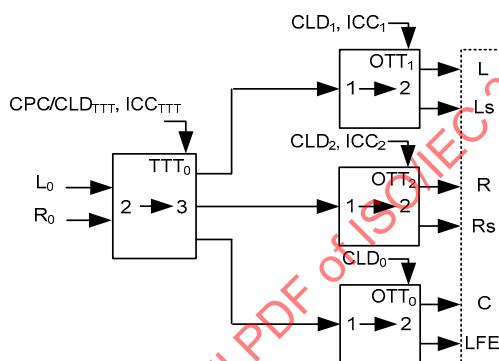


Figure 14 – "5-2-5" tree structure for the MPS decoder (stereo downmix)

In 7.6.3.2.2 Rendering between front and surround channels, replace:

according to below.

with:

according to below.

In 7.6.3.3 Stereo Preprocessing, remove:

The stereo downmix $\mathbf{X}$ is processed into the modified downmix signal $\hat{\mathbf{X}}$:

$$\hat{\mathbf{X}} = \mathbf{G}\mathbf{X},$$

In 7.6.3.3 Stereo Preprocessing, remove:

The final stereo output from the SAOC transcoder $\hat{\mathbf{X}}$ is produced by mixing $\mathbf{X}$ with a decorrelated signal component according to:

$$\hat{\mathbf{X}} = \mathbf{G}_{\text{Mod}}\mathbf{X} + \mathbf{P}_2\mathbf{X}_d,$$

where the decorrelated signal $\mathbf{X}_d$ is calculated according to 7.6.3.4, and the mix matrices $\mathbf{G}_{\text{Mod}}$ and $\mathbf{P}_2$ according to below.

In 7.6.3.4 Decorrelation, replace:

7.6.3.4 Decorrelation

The decorrelated signals $\mathbf{X}_d$ are created from the decorrelator described in 6.6.2 of ISO/IEC 23003-1:2007. Following this scheme, the `bsDecorrConfig == 0` configuration should be used with a decorrelator index, $X = 8$, according to Table A.26 to Table A.29 in ISO/IEC 23003-1:2007. Hence, the *decorrFunc*() denotes the decorrelation process:

$$\mathbf{X}_d = \begin{pmatrix} x_{1d} \\ x_{2d} \end{pmatrix} = \begin{pmatrix} \text{decorrFunc}((1 \ 0) \mathbf{P}_1 \mathbf{X}) \\ \text{decorrFunc}((0 \ 1) \mathbf{P}_1 \mathbf{X}) \end{pmatrix}.$$

with:

Decorrelated signal

The decorrelated signal $\mathbf{X}_d$ is obtained by using the decorrelator function *decorrFunc*() described in 6.6.2, ISO/IEC 23003-1:2007. Following this scheme, the `bsDecorrConfig = 0` configuration is used with a decorrelator index $X = 8$, according to Tables A.26 to A.29. Hence, the signal $\mathbf{X}_d$ is computed according to

$$\mathbf{X}_d = \begin{pmatrix} \text{decorrFunc}((1 \ 0) \mathbf{P}_1 \mathbf{X}) \\ \text{decorrFunc}((0 \ 1) \mathbf{P}_1 \mathbf{X}) \end{pmatrix}.$$

In 7.7 Decoding modes, replace:

In this Subclause

with:

In this subclause

In 7.7 Decoding modes, replace and move the corresponding text to “7.5 Signals and parameters”:

The target binaural rendering matrix $\mathbf{A}^{l,m}$ of size $2 \times N$ consists of the elements $a_{x,y}^{l,m}$. Each element $a_{x,y}^{l,m}$ is derived from HRTF parameters and rendering matrix $\mathbf{M}_{\text{ren}}^{l,m}$ with elements $m_{y,i}^{l,m}$. The target binaural rendering matrix $\mathbf{A}^{l,m}$ represents the relation between all audio input objects y and the desired binaural output.

$$a_{y,1}^{l,m} = \sum_{i=0}^{N_{\text{HRTF}}-1} m_{y,i}^{l,m} H_{i,L}^m \exp\left(j \frac{\phi_i^m}{2}\right), \quad a_{y,2}^{l,m} = \sum_{i=0}^{N_{\text{HRTF}}-1} m_{y,i}^{l,m} H_{i,R}^m \exp\left(-j \frac{\phi_i^m}{2}\right).$$

The HRTF parameters are given by $H_{i,L}^m$, $H_{i,R}^m$ and ϕ_i^m for each processing band m . The spatial positions for which HRTF parameters are available are characterized by the index i . These parameters are described in ISO/IEC 23003-1:2007.

with:

Binaural rendering matrix

The binaural rendering matrix $\mathbf{A}$ of size $2 \times N$ with elements $a_{i,j}$ maps all the input objects i to the desired binaural output channels j . The binaural rendering matrix $\mathbf{A}$ is given by

$$\mathbf{A} = \begin{pmatrix} a_{0,L} & \cdots & a_{N-1,L} \\ a_{0,R} & \cdots & a_{N-1,R} \end{pmatrix}.$$

The binaural rendering matrix $\mathbf{A}$ is derived from the Head Related Transfer Function (HRTF) parameters $P_{k,L}^{HRTF}$, $P_{k,R}^{HRTF}$ and ϕ_k^{HRTF} (described in ISO/IEC 23003-1:2007) and the rendering matrix $\mathbf{M}_{\text{ren}}$ as

$$a_{i,L} = \sum_{k=0}^{N_{\text{HRTF}}-1} m_{i,k} P_{k,L}^{HRTF} \exp\left(j \frac{\phi_k^{HRTF}}{2}\right), \quad a_{i,R} = \sum_{k=0}^{N_{\text{HRTF}}-1} m_{i,k} P_{k,R}^{HRTF} \exp\left(-j \frac{\phi_k^{HRTF}}{2}\right),$$

where the spatial positions for which the HRTF parameters are available are characterized by the index k .

In 7.7.2 Downmix processor, replace:

The output signal $\hat{\mathbf{X}}$ is computed from the mono downmix signal $\mathbf{X}$ and the decorrelated mono downmix signal $\mathbf{X}_d$ as

$$\hat{\mathbf{X}} = \mathbf{G}\mathbf{X} + \mathbf{P}_2\mathbf{X}_d.$$

The decorrelated mono downmix signal $\mathbf{X}_d$ is computed according to 7.6.3.4 as

$$\mathbf{X}_d = \text{decorrFunc}(\mathbf{X}).$$

In case of binaural output the upmix parameters $\mathbf{G}$ and $\mathbf{P}_2$ derived from the SAOC data, rendering information $\mathbf{M}_{\text{ren}}^{l,m}$ and HRTF parameters are applied to the downmix signal $\mathbf{X}$ (and $\mathbf{X}_d$) yielding the binaural output $\hat{\mathbf{X}}$, see Figure 15.

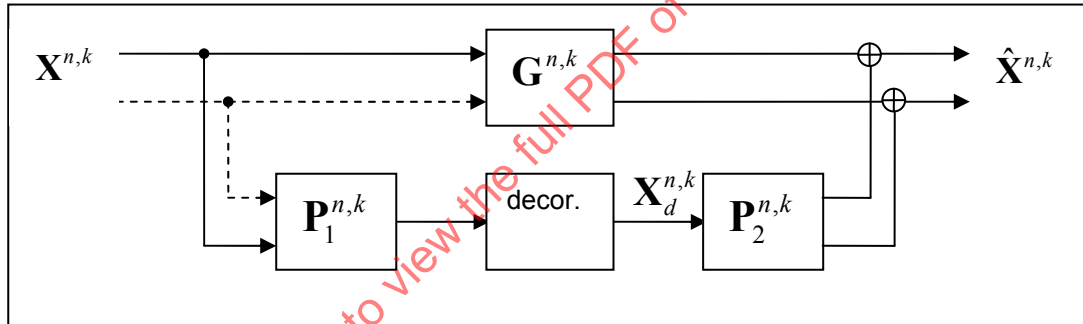


Figure 15 – Basic structure of the downmix processor

with:

Overview

The general structure of the SAOC transcoding/decoding modes consists of two signal paths, see Figure 15.

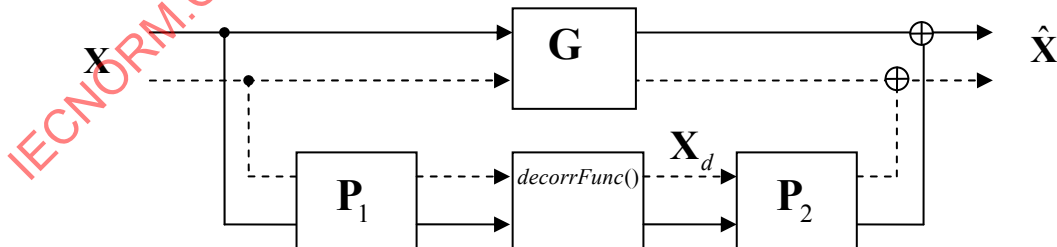


Figure 15 – Basic structure for the SAOC transcoding/decoding modes

The output signal of the SAOC transcoder/decoder is produced by the corresponding mixing of a modified downmix signal and a processed decorrelated signal component as follows:

$$\hat{\mathbf{X}} = \mathbf{G}\mathbf{X} + \mathbf{P}_2\mathbf{X}_d.$$

In 7.7.2.1 Mono to binaural "x-1-b" processing mode, remove:

The desired covariance matrix $\mathbf{F}^{l,m}$ of size 2×2 with elements $f_{i,j}^{l,m}$ is given as

$$\mathbf{F}^{l,m} = \mathbf{A}^{l,m} \mathbf{E}^{l,m} (\mathbf{A}^{l,m})^*.$$

In 7.7.2.1 Mono to binaural "x-1-b" processing mode, remove:

The scalar $v^{l,m}$ is computed as

$$v^{l,m} = \mathbf{D}^l \mathbf{E}^{l,m} (\mathbf{D}^l)^* + \varepsilon^2.$$

In 7.8 EAO processing, add:

Renormalization of OLD parameters

For the SAOC parameter processor the OLD parameters of the regular audio objects are renormalized as follows:

$$OLD_i^{\text{Ren}} = \frac{OLD_i^{X_{\text{obj}}}}{\max(OLD_i^{X_{\text{obj}}})},$$

where $OLD_i^{X_{\text{obj}}}$ represents a subset of OLD parameters corresponding to the signals remaining in the downmix after application of the residual processor.

In 7.8 EAO processing, add:

The residual processor output signals is computed as

$$\begin{aligned} \mathbf{X}_{OBJ} &= \mathbf{M}_{OBJ} \mathbf{X}_{res}, \\ \mathbf{X}_{EAO} &= \mathbf{A}_{EAO} \mathbf{M}_{EAO} \mathbf{X}_{res}. \end{aligned}$$

where $\mathbf{X}_{OBJ}$ represents the downmix signal of the regular audio objects (i.e. non-EAOs) and $\mathbf{X}_{EAO}$ is the rendered EAO output signal for the SAOC decoding mode or the corresponding EAO downmix signal for the SAOC transcoding mode.

The residual processor can operate in prediction (using residual information) or energy (without residual information) mode. The extended input signal $\mathbf{X}_{res}$ is defined accordingly:

$$\mathbf{X}_{res} = \begin{pmatrix} \mathbf{X} \\ \mathbf{res} \end{pmatrix}, \text{ for prediction mode,}$$

$$\mathbf{X}_{res} = \mathbf{X}, \quad \text{for energy mode.}$$

In 7.8 EAO processing, add:

The OTN/TTN processing is represented by matrix $\mathbf{M}$ and EAO processor by matrix $\mathbf{A}_{EAO}$. The OTN/TTN processing matrix $\mathbf{M}$ is defined according to the EAO operation mode (i.e. prediction or energy) as

$$\mathbf{M} = \mathbf{M}_{\text{Prediction}}, \text{ for prediction mode,}$$

$$\mathbf{M} = \mathbf{M}_{\text{Energy}}, \text{ for energy mode.}$$

The OTN/TTN processing matrix $\mathbf{M}$ is represented as

$$\mathbf{M} = \begin{pmatrix} \mathbf{M}_{OBJ} \\ \mathbf{M}_{EAO} \end{pmatrix},$$

where the matrix $\mathbf{M}_{OBJ}$ relates to the regular audio objects (i.e. non-EAOs) and $\mathbf{M}_{EAO}$ to the EAOs.

In 7.8 EAO processing, add:

Calculation of the matrix $\mathbf{A}_{EAO}$

The EAO pre-rendering matrix $\mathbf{A}_{EAO}$ is defined according to the number of output channels (i.e. mono, stereo or binaural) as

$$\mathbf{A}_{EAO} = \mathbf{A}_1^{EAO}, \text{ for mono case}$$

$$\mathbf{A}_{EAO} = \mathbf{A}_2^{EAO}, \text{ for other cases.}$$

The matrices $\mathbf{A}_1^{EAO}$ of size $1 \times N_{EAO}$ and $\mathbf{A}_2^{EAO}$ of size $2 \times N_{EAO}$ are defined as

$$\mathbf{A}_1^{EAO} = \mathbf{D}_{16}^{EAO} \mathbf{M}_{ren}^{EAO}, \quad \mathbf{D}_{16}^{EAO} = \begin{pmatrix} w_1^{EAO} & w_2^{EAO} & w_3^{EAO} & w_3^{EAO} & w_1^{EAO} & w_2^{EAO} \end{pmatrix},$$

$$\mathbf{A}_2^{EAO} = \mathbf{D}_{26}^{EAO} \mathbf{M}_{ren}^{EAO}, \quad \mathbf{D}_{26}^{EAO} = \begin{pmatrix} w_1^{EAO} & 0 & \frac{w_3^{EAO}}{\sqrt{2}} & \frac{w_3^{EAO}}{\sqrt{2}} & w_1^{EAO} & 0 \\ 0 & w_2^{EAO} & \frac{w_3^{EAO}}{\sqrt{2}} & \frac{w_3^{EAO}}{\sqrt{2}} & 0 & w_2^{EAO} \end{pmatrix},$$

where the rendering sub-matrix $\mathbf{M}_{ren}^{EAO}$ corresponds to the EAO rendering. The values w_i^{EAO} are computed as described in 7.6 using the corresponding EAO elements.

In case of binaural rendering the matrix $\mathbf{A}_2^{EAO}$ is defined by equations given in 7.7.2, for which the corresponding target binaural rendering matrix contains only EAO related elements.

In 7.8 EAO processing, replace:

$$m_j = d_{1,EAO(j)}, \quad n_j = d_{2,EAO(j)}.$$

with:

$$m_j = d_{0,EAO(j)}, \quad n_j = d_{1,EAO(j)}.$$

In 7.8 EAO processing, replace:

The covariance matrix $e_{i,j}$ (and $e_{L,R}$) is defined in 7.5.3.

with:

The covariance matrix $e_{i,j}$ is defined in 7.5.3 (e.g. $e_{L,R} = \sqrt{OLD_L OLD_R} IOC_{L,R}$).

In 7.8 EAO processing, replace:

$$\mathbf{M} = \mathbf{A} \tilde{\mathbf{D}}^{-1} \mathbf{C},$$

with:

$$\mathbf{M}_{\text{Prediction}} = \tilde{\mathbf{D}}^{-1} \mathbf{C}.$$

In 7.8 EAO processing, replace:

The output of the TTN element yields

$$\mathbf{Y} = \begin{pmatrix} \mathbf{y}_L \\ \mathbf{y}_R \\ \hline \mathbf{y}_{0,EAO} \\ \vdots \\ \mathbf{y}_{N_{EAO}-1,EAO} \end{pmatrix} = \mathbf{M} \mathbf{X} = \mathbf{A} \tilde{\mathbf{D}}^{-1} \mathbf{C} \begin{pmatrix} \mathbf{l}_0 \\ \mathbf{r}_0 \\ \hline \mathbf{res}_0 \\ \vdots \\ \mathbf{res}_{N_{EAO}-1} \end{pmatrix},$$

with:

The residual processor output signals are computed as

$$\mathbf{X}_{OBJ} = \mathbf{M}_{OBJ}^{\text{Prediction}} \begin{pmatrix} l_0 \\ r_0 \\ \hline res_0 \\ \vdots \\ res_{N_{EAO}-1} \end{pmatrix},$$

$$\mathbf{X}_{EAO} = \mathbf{A}^{EAO} \mathbf{M}_{EAO}^{\text{Prediction}} \begin{pmatrix} l_0 \\ r_0 \\ \hline res_0 \\ \vdots \\ res_{N_{EAO}-1} \end{pmatrix}.$$

In 7.8 EAO processing, replace:

For the mono downmix case the output signal $\mathbf{Y}$ of the OTN element yields

$$\mathbf{Y} = \mathbf{M} \begin{pmatrix} \mathbf{d}_0 \\ \text{---} \\ \mathbf{res}_0 \\ \vdots \\ \mathbf{res}_{N_{EAO}-1} \end{pmatrix}.$$

with:

The residual processor output signals are computed as

$$\mathbf{X}_{OBJ} = \mathbf{M}_{OBJ}^{\text{Prediction}} \begin{pmatrix} d_0 \\ \text{---} \\ res_0 \\ \vdots \\ res_{N_{EAO}-1} \end{pmatrix},$$

$$\mathbf{X}_{EAO} = \mathbf{A}^{EAO} \mathbf{M}_{EAO}^{\text{Prediction}} \begin{pmatrix} d_0 \\ \text{---} \\ res_0 \\ \vdots \\ res_{N_{EAO}-1} \end{pmatrix}.$$

In 7.8 EAO processing, replace:

The output of the TTN element yields

$$\mathbf{Y} = \begin{pmatrix} \mathbf{y}_L \\ \mathbf{y}_R \\ \text{---} \\ \mathbf{y}_{0,EAO} \\ \vdots \\ \mathbf{y}_{N_{EAO}-1,EAO} \end{pmatrix} = \mathbf{M}_{\text{Energy}} \mathbf{X} = \mathbf{M}_{\text{Energy}} \begin{pmatrix} \mathbf{l}_0 \\ \mathbf{r}_0 \end{pmatrix}.$$

with:

The residual processor output signals are computed as

$$\mathbf{X}_{OBJ} = \mathbf{M}_{OBJ}^{\text{Energy}} \begin{pmatrix} l_0 \\ r_0 \end{pmatrix},$$

$$\mathbf{X}_{EAO} = \mathbf{A}^{EAO} \mathbf{M}_{EAO}^{\text{Energy}} \begin{pmatrix} l_0 \\ r_0 \end{pmatrix}.$$

In 7.8 EAO processing, replace:

The output of the TTN element yields

$$\mathbf{Y} = \begin{pmatrix} \mathbf{y}_L \\ \mathbf{y}_{0,EAO} \\ \vdots \\ \mathbf{y}_{N_{EAO}-1,EAO} \end{pmatrix} = \mathbf{M}_{\text{Energy}} \mathbf{X} = \mathbf{M}_{\text{Energy}} \begin{pmatrix} \mathbf{l}_0 \\ \mathbf{r}_0 \end{pmatrix}.$$

with:

The residual processor output signals are computed as

$$\mathbf{X}_{OBJ} = \mathbf{M}_{OBJ}^{\text{Energy}} (d_0),$$

$$\mathbf{X}_{EAO} = \mathbf{A}^{EAO} \mathbf{M}_{EAO}^{\text{Energy}} (d_0).$$

In 7.8.2 SAOC architecture supporting EAO, replace:

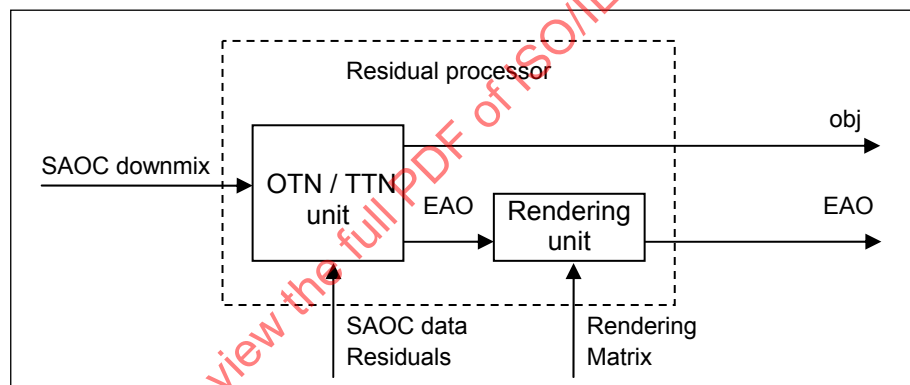


Figure 16 – Architecture of the residual processor

with:

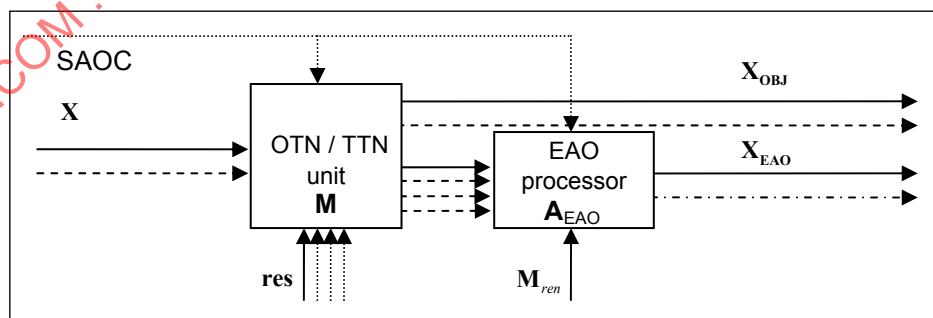


Figure 16 – Architecture of the residual processor